



Individual <u>quiz</u> Friday. Ch.8 <u>test</u> will be part of final exam.

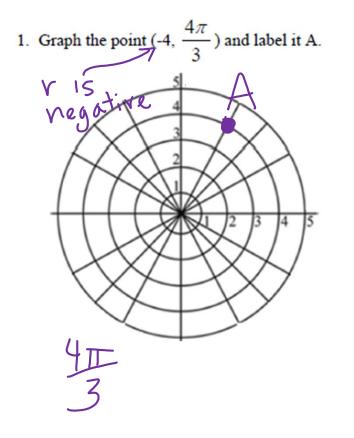
No calculator. Memorize unit circle and radian values. Memorize polar/rectangular formulas.

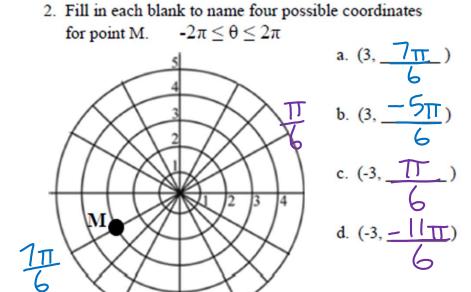
Check answers to review sheet#1:

Ch.8 Review#1—NO CALCULATOR!!

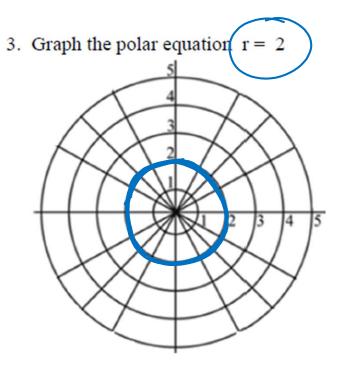
Name:

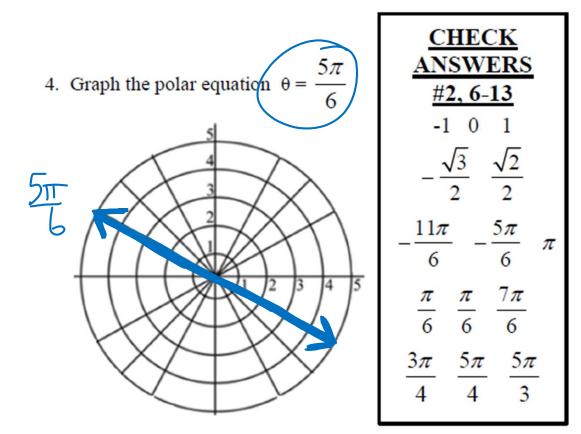
Per:



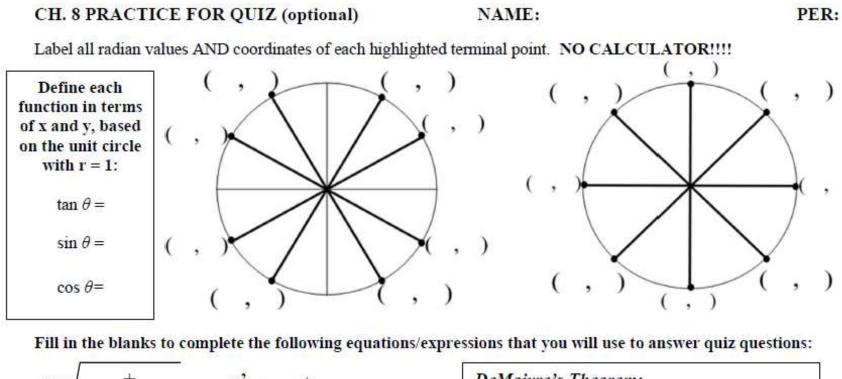


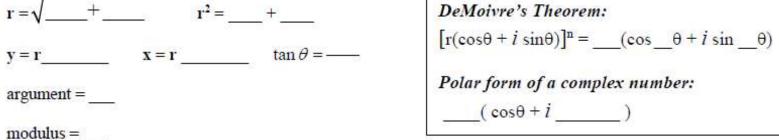
Check answers to review sheet#1:





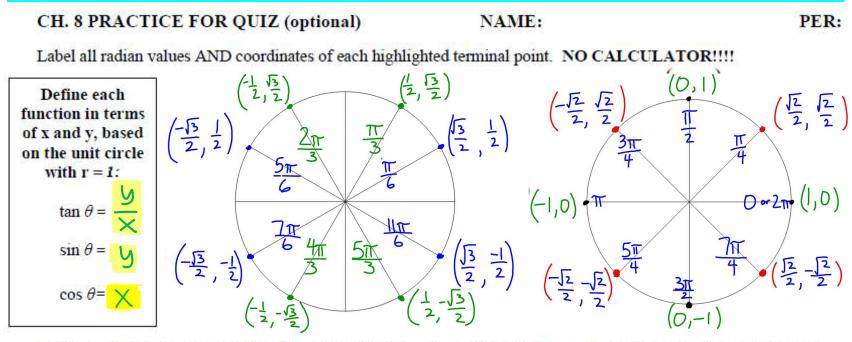
Memorize unit circle and the given formulas:



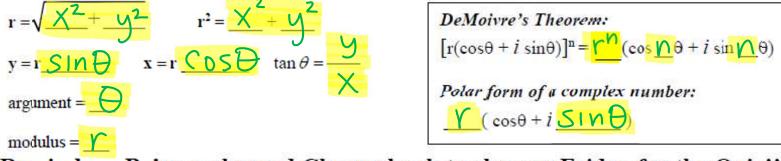


Reminder: Bring a charged Chromebook to class on Friday for the Quiz!!

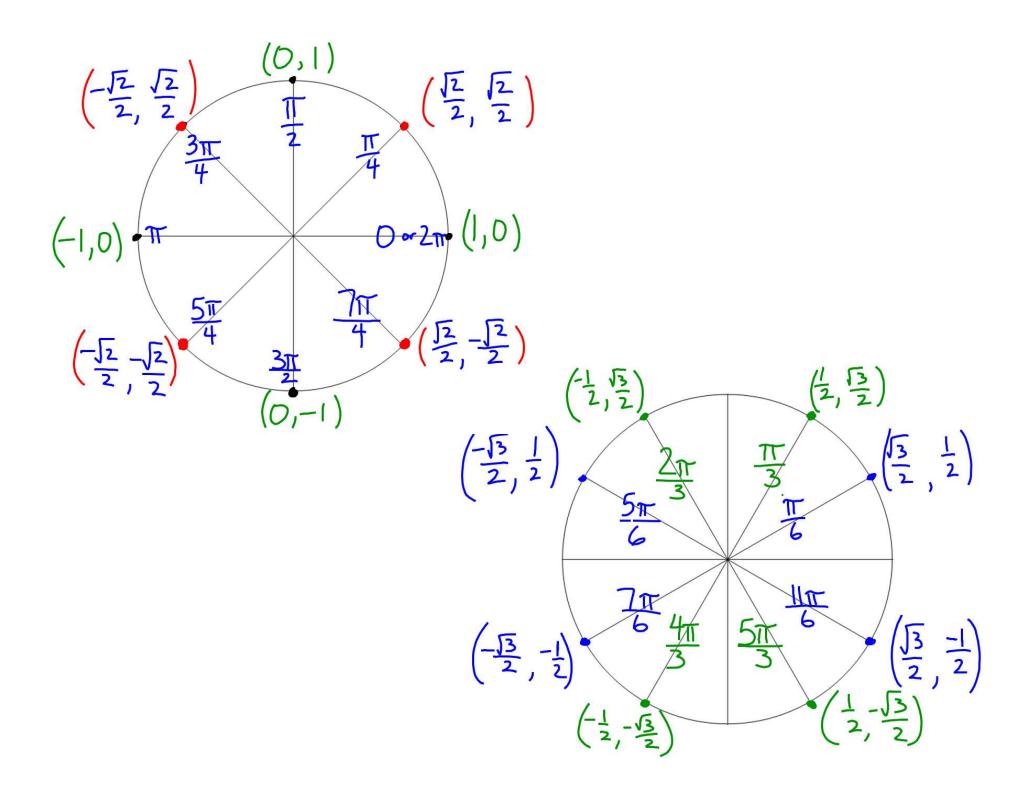
check ½ sheet practice for Quiz



Fill in the blanks to complete the following equations/expressions that you will use to answer quiz questions:



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Conversion from Polar Coordinates to Rectangular Coordinates $(r, \theta) \rightarrow (x, y)$ $x = r \cos \theta, \quad y = r \sin \theta$

Conversion from Rectangular Coordinates to Polar Coordinates $(x, y) \rightarrow (r, \theta)$ rectangular polar

$$r = \sqrt{x^2 + y^2}$$
 or $r^2 = x^2 + y^2$

 $\tan \theta = \frac{y}{x}$

$$\theta$$
 = argument
r = modulus

Product of Complex Numbers
in Polar Form

$$r_1(\cos \theta_1 + i \sin \theta_1) \bullet r_2(\cos \theta_2 + i \sin \theta_2)$$

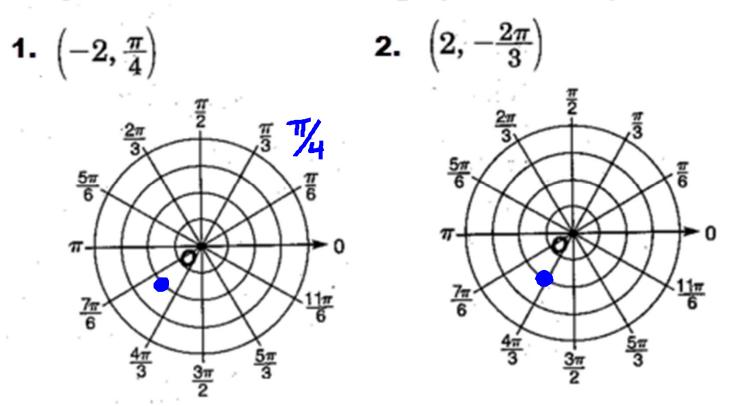
 $= \underbrace{r_1 r_2}_{\text{modulus}} \left[\cos(\frac{\theta_1 + \theta_2}{1 + \theta_2}) + i \sin(\theta_1 + \theta_2) \right]$
 $= \frac{r_1 r_2}_{\text{modulus}} \left[\cos(\frac{\theta_1 + \theta_2}{1 + \theta_2}) + i \sin(\theta_1 + \theta_2) \right]$
 $= \frac{r_1 r_2}{r_2} \left[\cos(\frac{\theta_1 - \theta_2}{1 + \theta_2}) + i \sin(\theta_1 - \theta_2) \right]$

De Moivre's Theorem

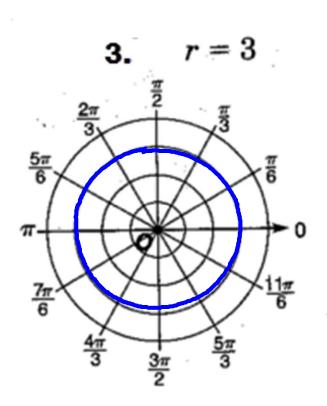
$$\begin{bmatrix} r(\cos\theta + i\sin\theta) \end{bmatrix}^n = r^n(\cos n\theta + i\sin n\theta)$$
Be careful with order of operations. \uparrow Multiply not defined apply cosine & sine.

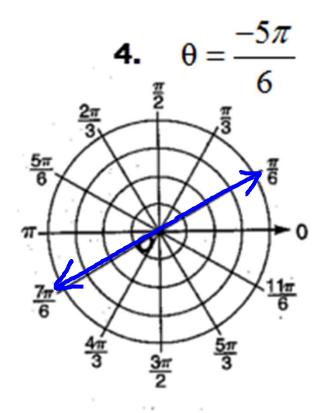
Check answers to Review #2

Graph each of the following. (section 9-1)



Check answers to Review #2





and the second